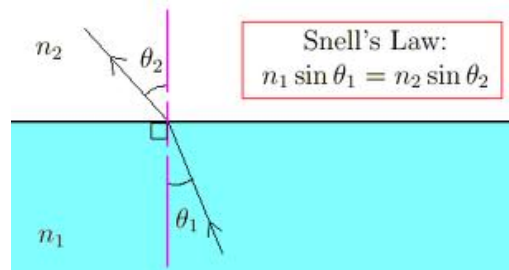


Chapter 26/27 Review

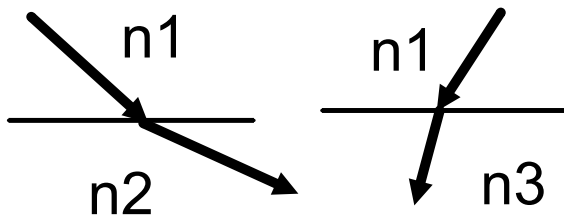
Refraction

- $n_1 \sin \theta_1 = n_2 \sin \theta_2 = \text{Snell's Law}$
- due to diff n's = diff speeds
- f remains constant
- $\lambda_{\text{med}} = \lambda_{\text{vac}}/n$, $v_{\text{med}} = c/n$
- BIG n = slower



- if $n \rightarrow \mathbf{n}$ = towards normal
- if $\mathbf{n} \rightarrow n$ = away from normal

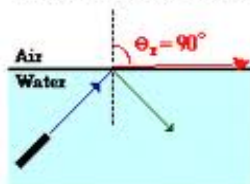
bigger difference in n = more bending



Critical Angle

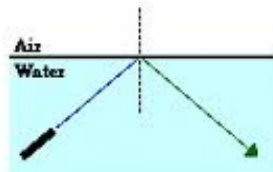
- > must be BIG n to small n
- > $\theta_c = \sin^{-1}(n_2/n_1)$
- > $\theta_2 = 90^\circ$
- > Causes total internal reflection

Reflection and Refraction



When the angle of incidence equal the critical angle, the angle of refraction is 90-degrees.

Total Internal Reflection



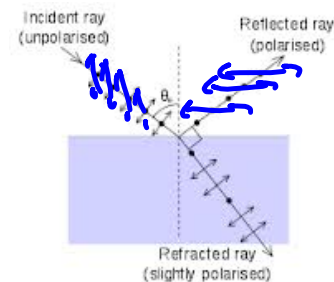
When the angle of incidence is greater than the critical angle, all the light undergoes reflection.

Brewster's Angle

> $\tan\theta_B = \tan\theta_B = n_2/n_1$

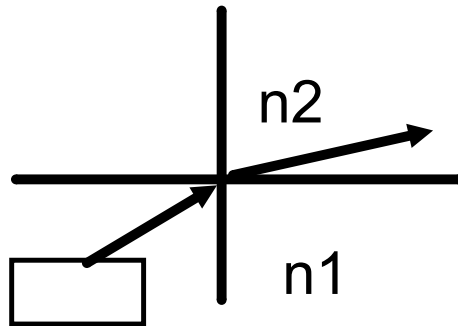
> causes light to be polarized parallel to surface

> reflected and refracted rays at 90°



Apparent Depth

$$> d' = d(n_2/n_1)$$



Lenses

Rules:

1) $f_1 \rightarrow //$

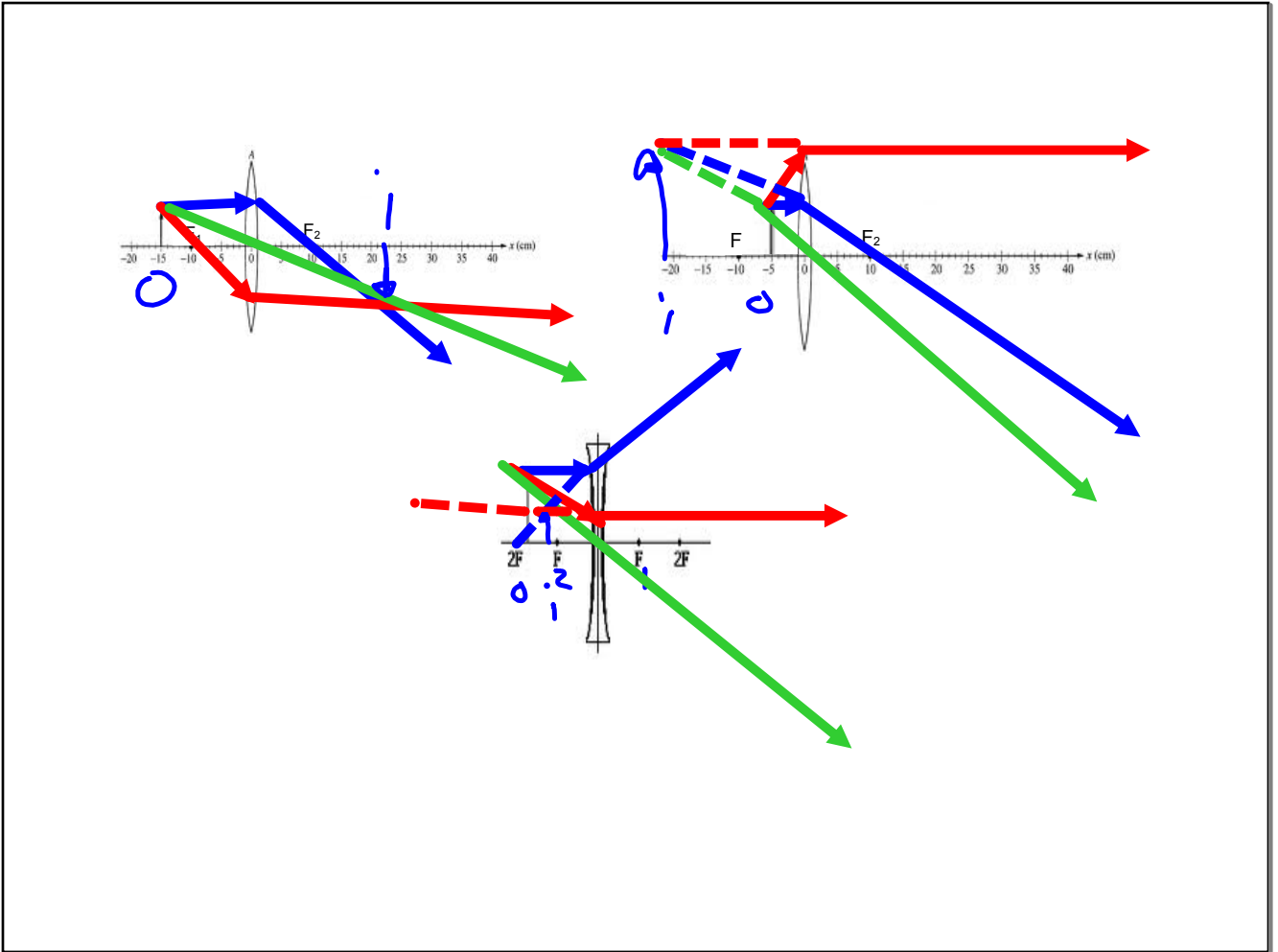
2) $// \rightarrow f_2$



3) center \rightarrow straight

Equations:

$$1/d_i + 1/d_o = 1/f$$

$$m = -d_i/d_o = h_i/h_o$$



convex lens	concave lens
	
+ f	- f
real or virt	virt only
any size	demag only
mag virtual	

Eyes

- Nearsighted
 - > long eye
 - > concave lens
 - > image in front of retina

- Farsighted
 - > short eye
 - > convex lens
 - > image behind retina

dispersion - separation of colors due to different n 's (prisms, rainbows)

Problems with lenses

1. spherical aberration = separation of rays due to edges thinner
2. chromatic aberration = colors not coming together after passing through due to different n 's

Diffraction

- Bending due to barrier
- $\lambda \leq$ barrier
- for same barrier, $\uparrow \lambda =$ more diffraction
- for same λ , smallest barrier = more diffraction

Interference

double slit	single slit	DG	Thin Film
$d \sin \theta = m \lambda$ (max)	$W \sin \theta = m \lambda$ (min)	$d \sin \theta = m \lambda$ (max)	reflection $n \rightarrow \tilde{n}$ = $1/2 \lambda$ shift
$d \sin \theta = (m + 1/2) \lambda$ (min)	$W \sin \theta = (m + 1/2) \lambda$ (min) (max)	$d \sin \theta = (m + 1/2) \lambda$ (min)	reflection $\tilde{n} \rightarrow n$ = no shift

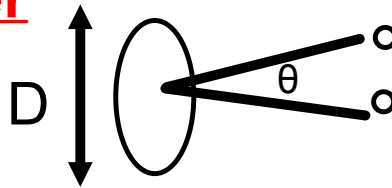
Max = bright = "see" light = $1 \lambda = 2 \pi = 360^\circ$

Min = dark = "don't see" light = $\lambda/2 = \pi = 180^\circ$

$n \rightarrow \tilde{n} \rightarrow n$
 no order = no $1/4$ for min
 $2tn = m \lambda$ (min)
 $2tn = (m + 1/2) \lambda$ (max)

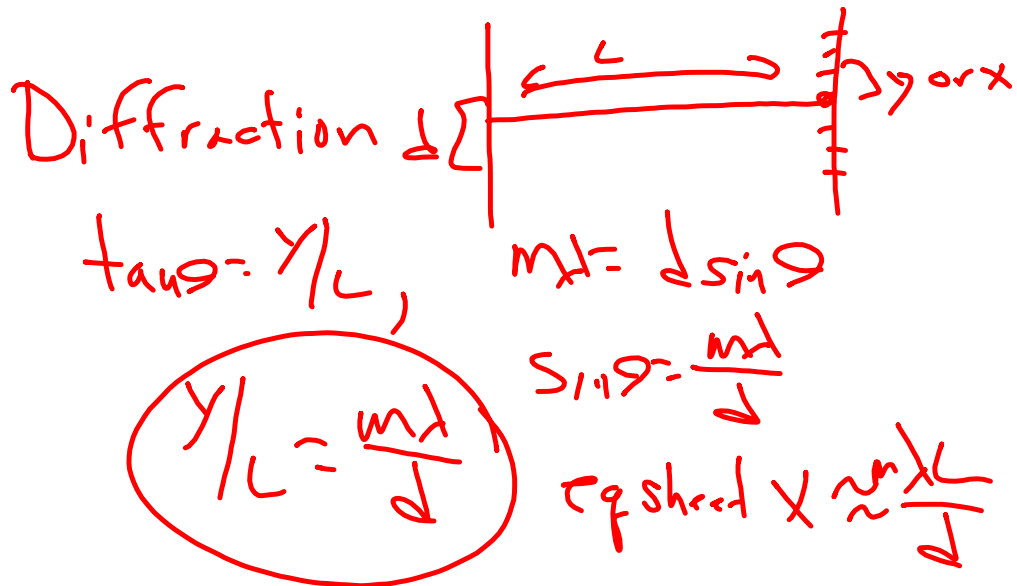
$n \rightarrow n \rightarrow \tilde{n}$
 $2tn = m \lambda$ (max)
 $2tn = (m + 1/2) \lambda$ (min)

Resolving Power



$$\theta_{\min} = 1.22\lambda/D$$

- θ in radians
- smaller λ = BETTER resolving power
- BIGGER D = BETTER resolving power



$n \rightarrow n \rightarrow n$

$$2tn = m\lambda \text{ (max)}$$

$$2tn = (m+1/2)\lambda \text{ (min)}$$