

Chapter 30 - Atomic Physics

Chemistry Review:



atomic # = # of protons = Z

atomic mass = # of protons + # of neutrons = A

A - Z = # of electrons

ex. ${}_{92}^{238}\text{U} \longrightarrow 92 \text{ p, } 92 \text{ n, } 238-92 = 146 \text{ e}$

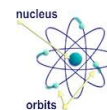
History of Atomic Theory

1) Thomson = plum pudding with + and - in atom

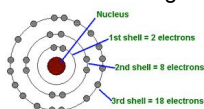
Thomson's atomic model



2) Rutherford = nucleus has most of mass & dense

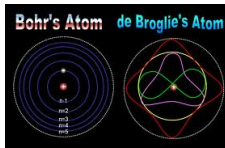


3) Bohr = excited electrons = light = atomic orbits = points



4) deBroglie = stable orbits = integer multiples of λ = standing waves

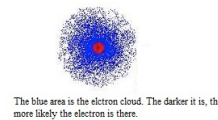
5) Planck = photon particles = whole number integers of h



6) Schrodinger - orbits are cloud or wave function = probability of being at certain point = electron can be ANYWHERE at ANY TIME

$$\frac{\partial^2 \psi}{\partial x^2} + \frac{8\pi^2 m}{h^2} (E - V)\psi = 0$$

Second derivative with respect to x Schrodinger Wave Equation
 Position Energy Potential Energy

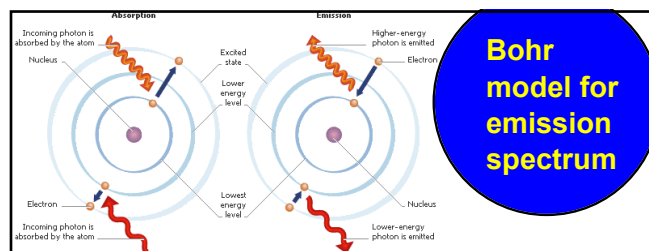


Light Emission - Demo spectrum tubes

Emission spectrum = electron jumps between orbits = energy released

$$E_o - E_f = hf$$

Electrons further from nucleus = more STORED energy



Bohr model for emission spectrum

$$1/\lambda = RZ^2(1/n_1^2 - 1/n_2^2)$$

R = Rydberg constant = $1.097 \times 10^7 \text{ m}^{-1}$

$n_1 < n_2$

Energy level diagram

Lyman = MOST energy = UV, $n = 1$

Balmer = visible $n = 2$

Paschen = LEAST energy = IR, $n = 3$

STATIONARY STATES OF HYDROGEN

if absorbs photon = starts at that orbital
if releases photon = ends at that orbital

Electrons orbital energy

Bohr Atom...would self destruct but..

$$F_c = F_e \quad \text{Total } E = KE + EPE$$

$$\frac{mv^2}{r} = \frac{kZe^2}{r^2} \quad \text{Total } E = 1/2mv^2 + EPE$$

$$mv^2 = \frac{kZe^2}{r^2} \quad E = \frac{(1/2)(kZe^2)}{r} - \frac{kZe^2}{r} = -\frac{kZe^2}{2r}$$

Angular Momentum of an electron in Bohr Atom

$L = l\omega = mr^2(v/r) = mvr$

Bohr said integer multiples of h

$$L_n = \frac{nh}{2\pi} = mvr_n$$

spin, s
orbital angular momentum, l

Orbital Radius and E of Bohr Atom

$$r_n = (5.29 \times 10^{-11} \text{ m})n^2/Z \quad r \text{ in meters}$$

$$E_{(\text{of atom})} = -kZe^2/2r \quad E \text{ in Joules}$$

$$E_n = -(2.18 \times 10^{-18} \text{ J})Z^2/n^2 \quad E \text{ in Joules}$$

$$E_n = -(13.6 \text{ eV})Z^2/n^2 \quad E \text{ in eV}$$

**remember eV = energy to increase e^- by 1 J/C so $1 \text{ eV} = 1.6 \times 10^{-19} \text{ J}$ **
 ** note as $n \rightarrow \infty \dots E \rightarrow 0$ since electron escapes pull of nucleus**

Ionization energy = energy needed to "pull" electron from atom and turn into ion

$$E_{\text{ionization}} = E_{\infty} - E_0$$

= energy of photon

**same as Rydberg EQ

Energy levels for the hydrogen atom

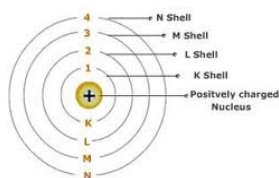
Quantum Mechanics

- **electrons do NOT stay in orbit
- ** electrons can't be assigned ONE orbital number (like n that Bohr uses)
- **instead there are FOUR quantum numbers to describe electrons position and motion in an atom

4 Quantum Numbers:

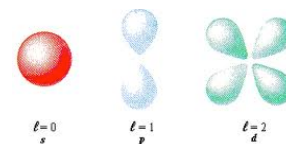
1) n

- principle quantum #
- = 1, 2,
- = shell



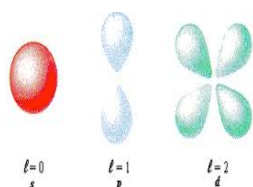
2) Orbital quantum #

- ℓ
- 0, 1, ..., $n-1$
- = subshell (s, p, d, f, g, h)



3) Magnetic quantum #

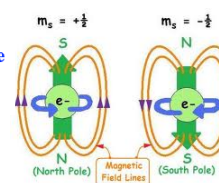
- m_ℓ
- $-\ell, \dots, 0, \dots, +\ell$
- "spot" in subshell



Value of n → $1s^1$ ← # of Electrons
Orbital type

(Orally say 1 s 1)

- spins up or down

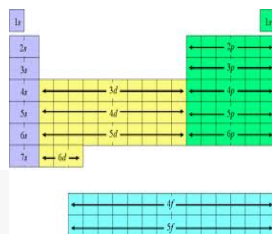


Electron configuration notation:

Value of n → $1s^1$ ← # of Electrons
Orbital type

(Orally say 1 s 1)

Example	electron notation	orbital notation
hydrogen	$1s^1$	\uparrow
helium	$1s^2$	$\uparrow\downarrow$
lithium	$1s^2 2s^1$	$\uparrow\downarrow$ \uparrow ---
beryllium	$1s^2 2s^2$	$\uparrow\downarrow$ $\uparrow\downarrow$ ---
boron	$1s^2 2s^2 2p^1$	$\uparrow\downarrow$ $\uparrow\downarrow$ \uparrow ---



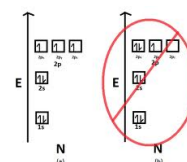
Pauli Exclusion Principle

No two electrons in the same atom can have ALL four quantum numbers the same

EX....do these combinations work??

$$n = 2, \ell = 1, m_\ell = 0, m_s = +1/2$$

$$n = 4, \ell = 1, m_\ell = 2, m_s = -1/2$$



Angular Momentum in Quantum world

$$L = \left(\sqrt{\ell(\ell+1)} \right) (h/2\pi)$$

This means when $\ell = 0$, $L = 0$ no matter what n is!!!

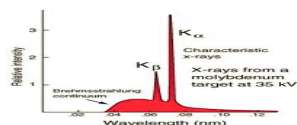
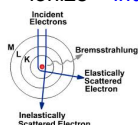
Number of electrons in an atom

$$\#e = 2(\ell + 1)$$

Bohr	Quantum
$L = nh/2\pi \neq 0$	$L = \sqrt{l(l+1)} (h/2\pi)$ can = 0
$L =$ same for every orbit n	L can be different for same n
orbits = circles	orbits = probability clouds = various shapes

Bremsstrahlung = X-ray spectrums

- used to identify metals
- electrons ionized from K-shell of atom produce X-rays
- peaks** show unique electrons for element = *characteristic X-rays*
- cutoff** = minimum energy needed to make electrons ionize = *independent of material*



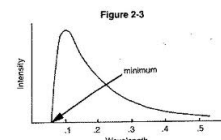
Bombard target material with high energy electrons....(electrons moved with high V)

$$hf_0 = KE = eV$$

$$f_0 = eV/h$$

$$c/\lambda_0 = eV/h$$

$$\lambda_0 = eV/hc$$



therefore min λ only depends on bombarding electrons NOT material

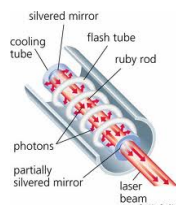
LASERS

Light Amplification, Stimulated Emission of Radiation

One Color/monochromatic

In Phase/coherent

High Intensity



Number of electrons in an atom

$$\#e = 2(\ell + 1)$$

